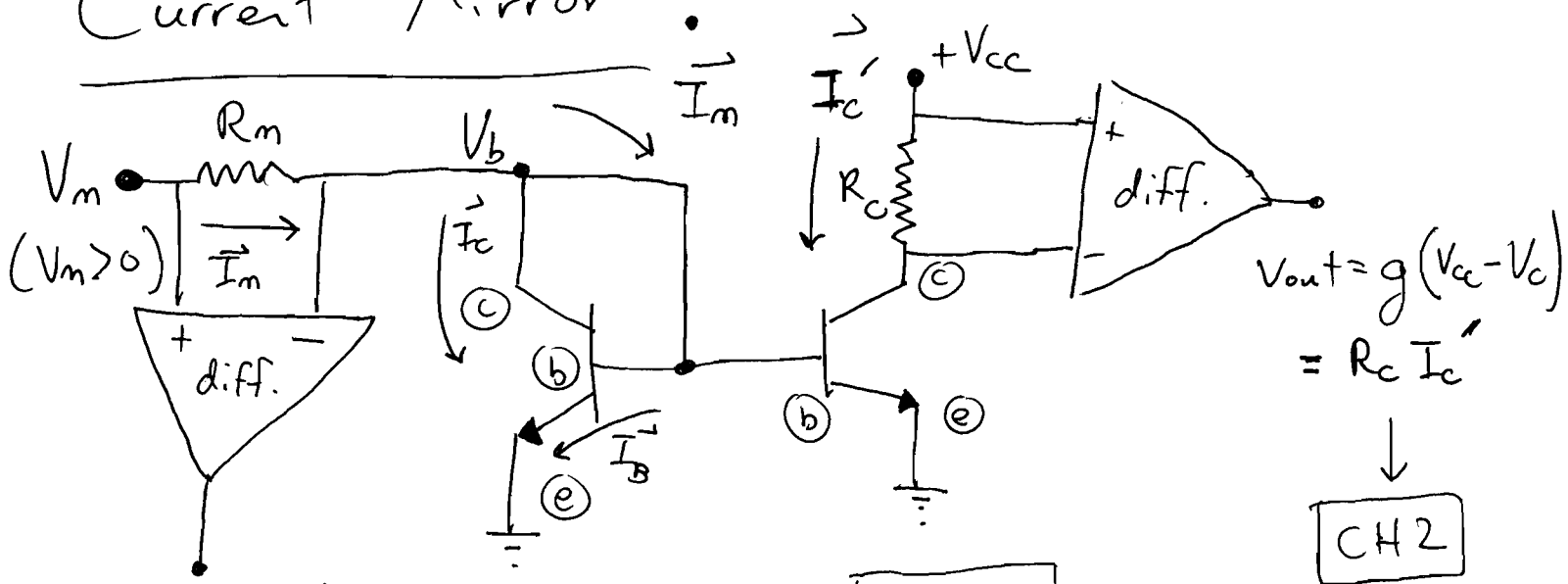


# Current Mirror



$$V_{out} = g(V_m - V_b) = I_m R_m = \boxed{\text{CH1}}$$

Start with two npn transistors back-to-back as shown above.

In the left transistor

$$\vec{I}_m = \vec{I}_{\text{total}} = \vec{I}_c + \vec{I}_B = \beta I_B + I_B$$

also.  $I_m = \frac{V_m - V_b}{R_m}$ , therefore

$$I_m = \frac{V_m - V_b}{R_m} = (\beta + 1) I_B, \text{ and}$$

remember then  $I_B = I_{\text{Diode}}$

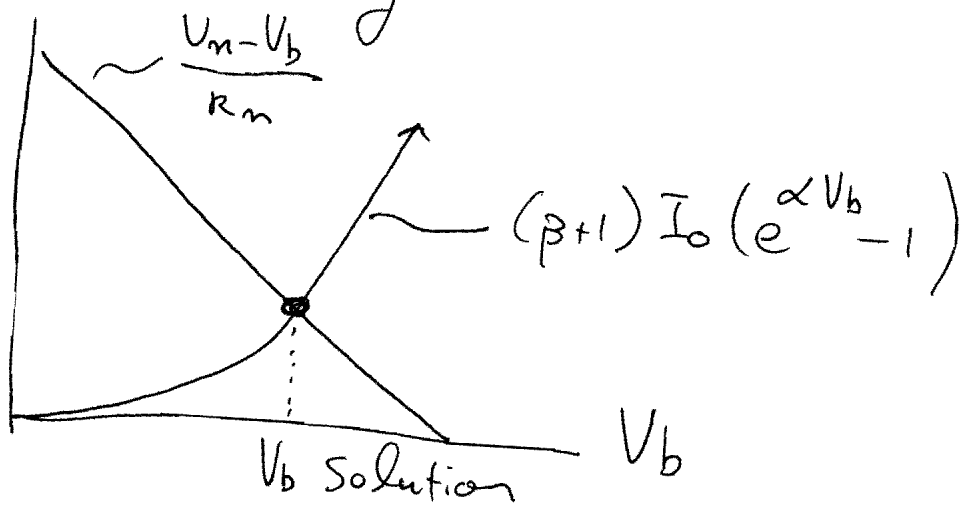
due to the current moving through the b-e pn junction.

$$I_B = I_0 (e^{\alpha V_b} - 1) \quad \text{where } \alpha = \frac{e}{k_B T}$$

and,

$$\frac{V_m - V_b}{R_m} = (\beta + 1) I_0 (e^{\alpha V_b} - 1)$$

Solve graphically for  $V_b$

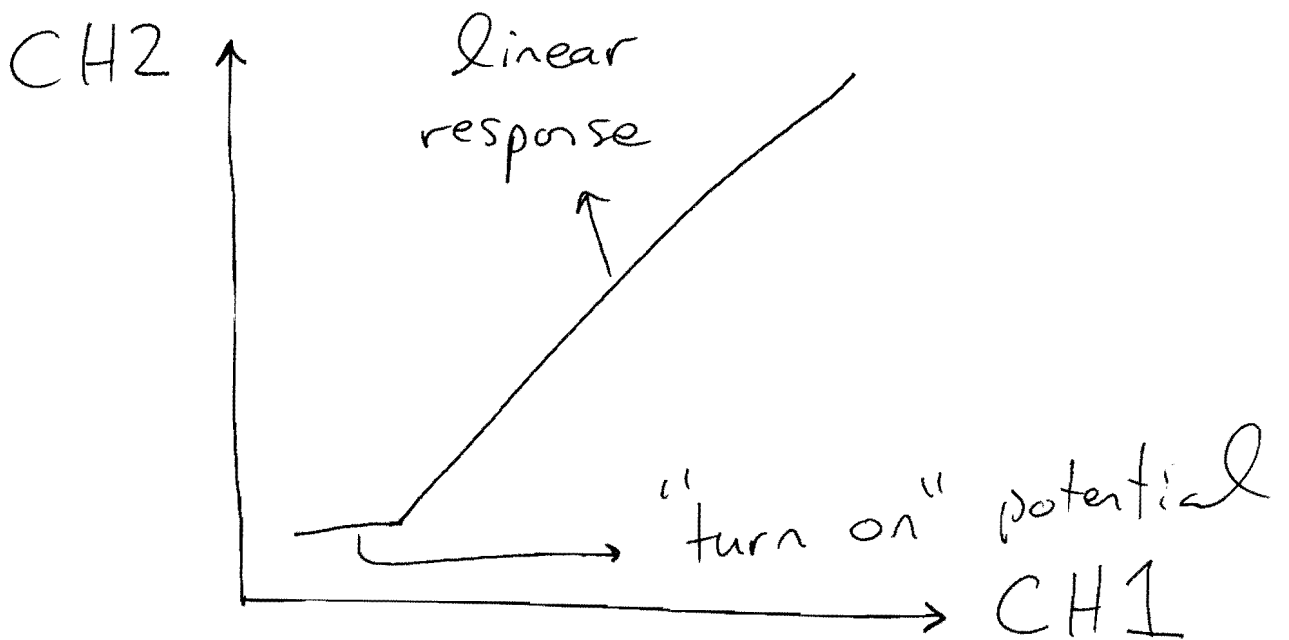


Goal: As  $V_m$  is adjusted both  $\vec{I}_c$  and  $\vec{I}_c'$  should have a linear response to the given applied potential. (2)

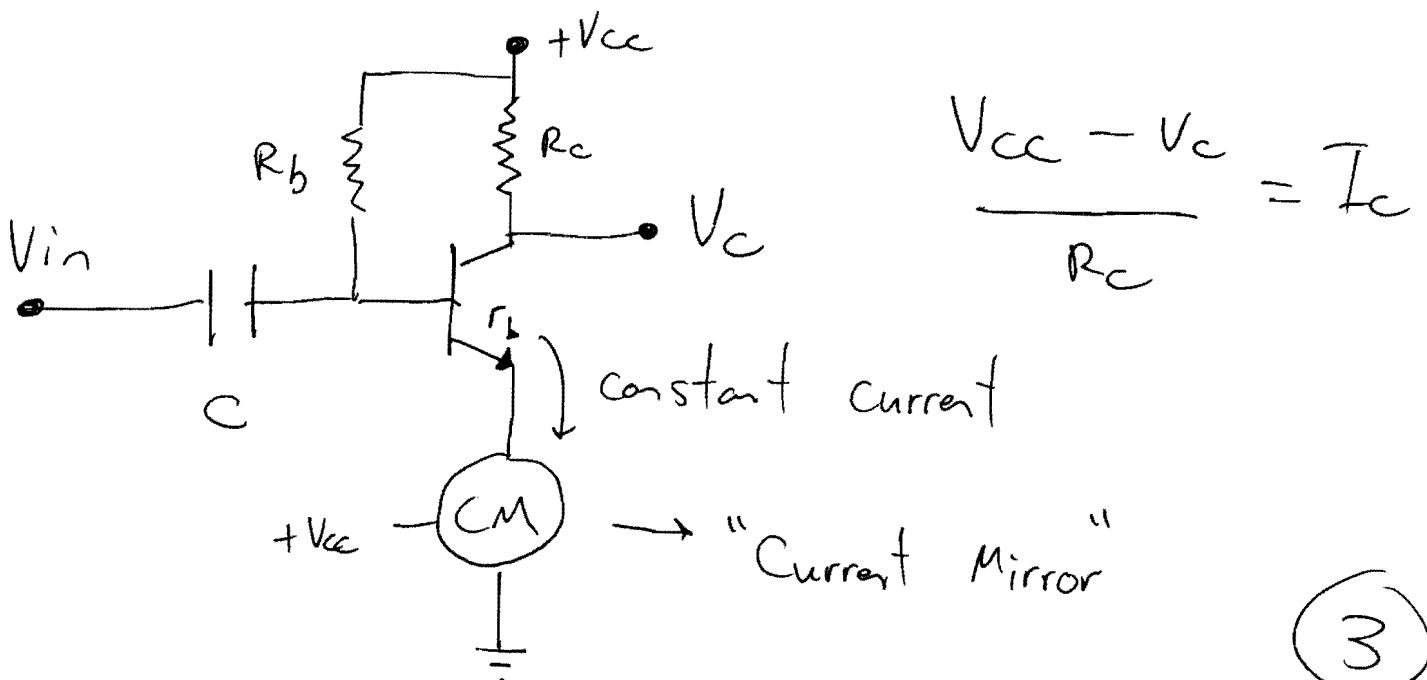
xy-mode data :

$$\text{CH1} = V_m - V_b \text{ (drop across } R_m \text{)}$$

$$\text{CH2} = g(V_{cc} - V_c) \text{ (drop across } R_c \text{)}$$

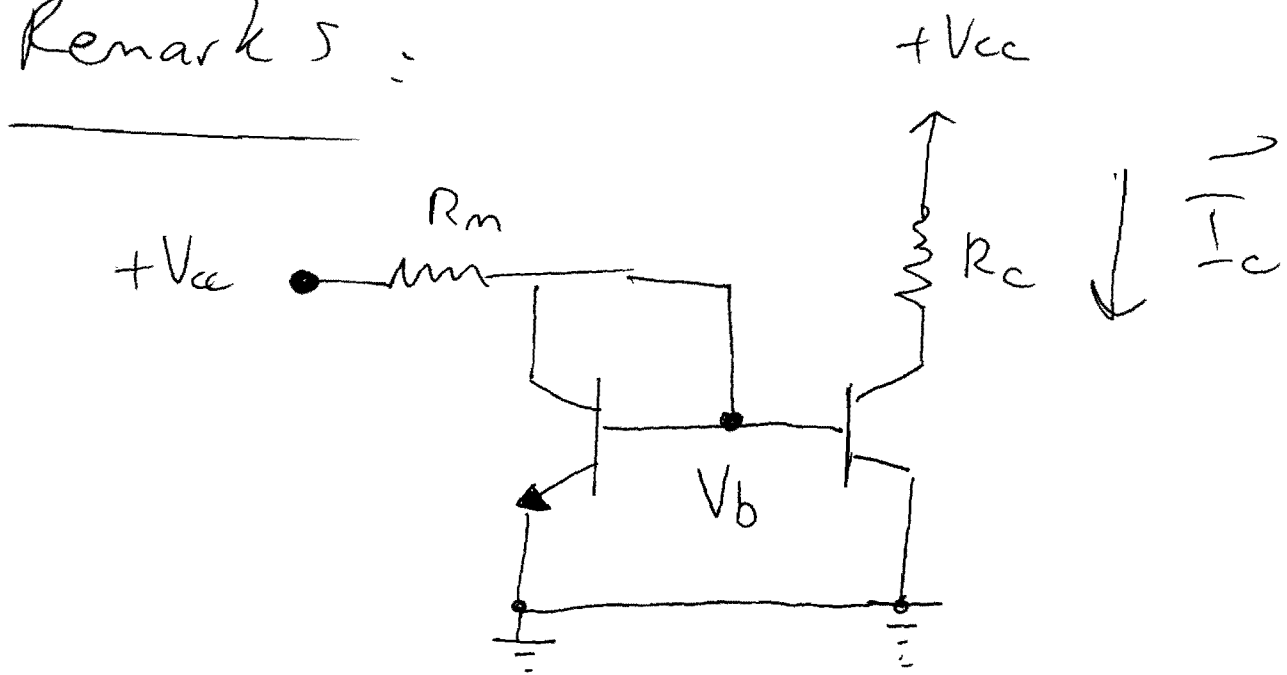


Self-Biased Amplifier :



3

Remark 5 :



The whole point of the current mirror is to establish a constant  $V_b$  (shown on page (2)), this constant  $V_b$  creates a constant  $\vec{I}_c$ . Because  $\vec{I}_c$  is held constant any resistor (or circuit) will adjust its potential drop to maintain constant current. (3A)

Refer to Self Biased amplifier  
circuit diagram :

Conditions :

(A) Want  $V_c = V_{cc}/2$

(B)  $\frac{V_{cc}/2}{R_c} = I_m$

(C)  $\frac{V_{cc}}{R_b} > I_B = \frac{I_m}{\beta}$

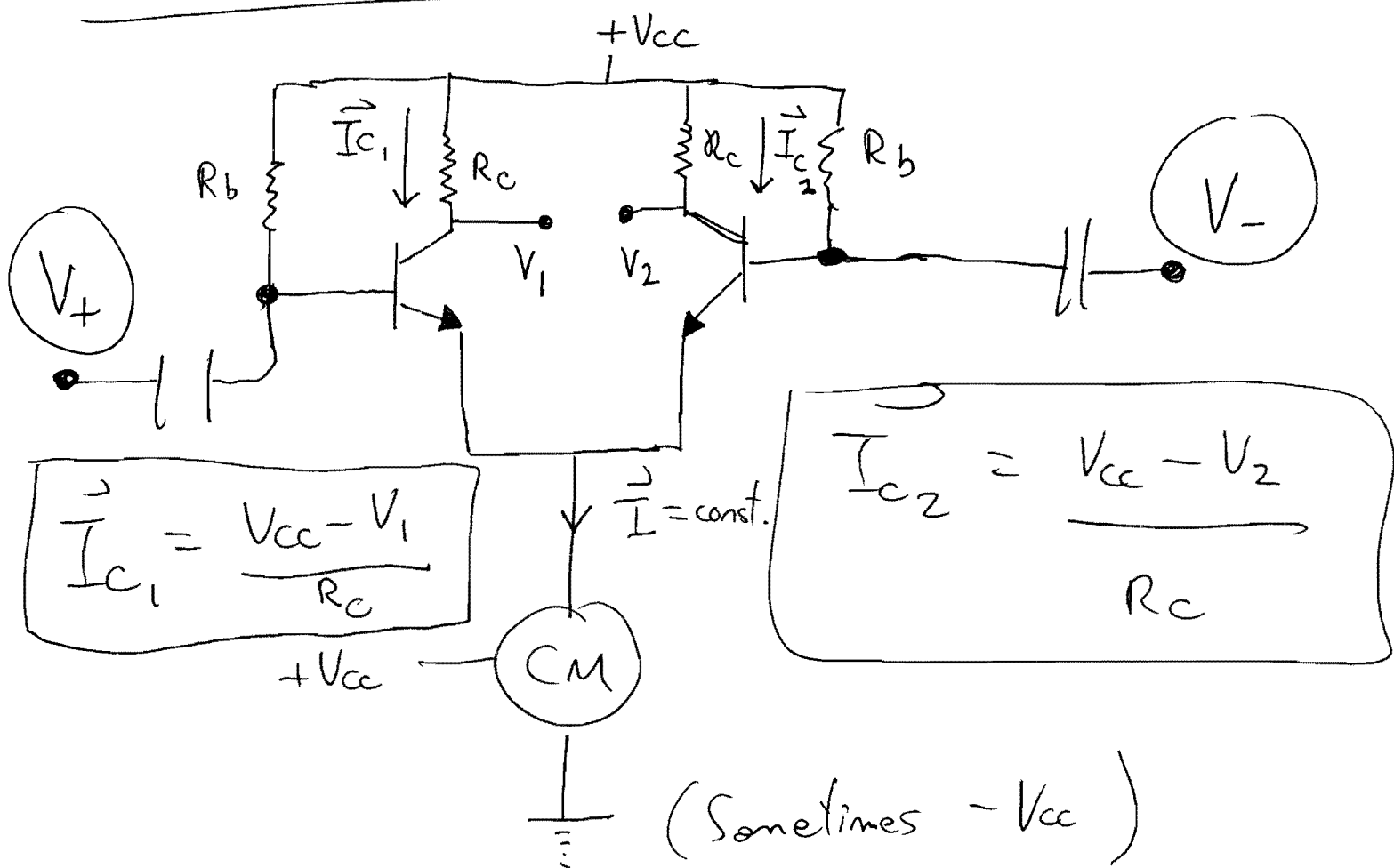
(D)  $\left( \frac{V_{cc}}{R_b} \sim 10 I_B \right)$

(E)  $I_m \approx 1 \text{ mA}$

Input impedance  $Z_{in} = Z_c + R_b \parallel r_b$

(4)

# Differential Amplifier :



Recall that  $\vec{I} = \text{constant}$  from the current mirror,

and 
$$I_{C1} + I_{C2} = I$$

Physical reasoning is very important w/ this circuit!!

## Physical Reasoning :

Consider increasing  $V_+$  input.

(a) when  $V_+$  increases,  $\bar{I}_{C_1}$  increases

(b) If  $\bar{I}_{C_1}$  increases,  $V_1$  decreases

(c) If  $\bar{I}_{C_1} \uparrow, \bar{I}_{C_2} \downarrow$  ↓ current eqn.

because  $\bar{I}_{C_1} + \bar{I}_{C_2} = \text{const}$  ↑

(d) If  $\bar{I}_{C_2}$  decreases the  $V_2$  increases

Therefore when

$$\boxed{\underline{V_+ \text{ increases}} \Rightarrow \left\{ \begin{array}{l} V_1 \text{ decreases} \\ V_2 \text{ increases} \end{array} \right.}$$

So for  $V_+$   $V_1$  is the inverted output, and  $V_2$  is the non-inverted output.

(6)